1. Section 10.1:

Problems 53, 59, 63, 67, 69, 73, 81, 87, 89. Hint for problem 73: Read Appendix A.5.

- 2. Section 10.2: Problems 61, 65, 71, 75.
- 3. Section 10.3: Problems 27, 31, 33, 37, 53, 55.
- 4. Section 10.4: Problems 17, 27, 29, 31, 43, 45, 51, 61, 62.
- 5. Section 10.5: Odd numbered problems in problem 17-43, 61, 65.
- 6. Section 10.6: Problems 4, 11, 25, 26, 28, 29, 30, 35, 39, 43, 49, 53.
- 7. Section 10.7: 7, 11, 15, 19, 23, 29, 33, 37, 47, 55, 60.
- 8. Section 10.7: Find a power series that converges on (1,3) and diverges otherwise. Do the same for (1,3], [1,3) and [1,3], respectively.
- 9. Section 10.7: Use the power series expression of $\frac{1}{1-x}$ to find that of $\ln(1-x)$ on |x| < 1.
- 10. Section 10.7: Find the first few terms of the power series representation of

$$\frac{1 - x^2 + x^4 - \cdots}{1 - \frac{x^2}{2!} + \frac{x^4}{4!} - \cdots}$$

11. Section 10.8: Problems 15, 23, 29, 35.

Remark for problem 23: We know that $f(x) = \sum_{n=0}^{3} b_n (x-2)^n$ for some b_n 's (for example, one can conclude this by repeated division by (x-2)). Nevertheless, it is enough to assume f(x) can be written this form. The explicit values of b_n is not needed. Show that, the final answer is the same as f(x).

12. Section 10.8: Let

$$f(x) = \begin{cases} 0, & x = 0\\ e^{-1/x^2}, & x \neq 0 \end{cases}$$

It is known that $f^{(n)}(0) = 0$ for all n. Verify this for f'(0) and f''(0).

- 13. Section 10.9: Problems 7, 9, 17, 19, 33, 41, 42, 50(a), 51.
- 14. Section 10.10: Problems 10, 19, 27, 31, 35, 37, 43, 46, 51, 58, 65, 66.