

Therefore. We also have $(\tan \chi) = \frac{(\sin 2x)}{\cos x} = \frac{\cos x(\sin x) - \sin x(\cos x)}{\cos^2 x} = \sec^2 x$

$$(\omega t_{\chi})' = \frac{\cos \chi}{\sin \chi} = \frac{\sin \chi(\cos \chi)' - \cos \chi(\sin \chi)}{\sin \chi} = -\cos \chi$$

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$$(\sec \chi)' = (\frac{1}{\cos \chi})' = \frac{1}{\cos \chi} = \frac{1}{\cos$$

 $(Secx)' = (\frac{1}{cosx})' = \frac{-1\cdot(cosx)'}{cos^2x} = tonx Secx$ $(cscx)' = (\frac{1}{sinx})' = \frac{-1(sinx)'}{sin^2x} = -\omega tx \cdot \cos x$

Example: f(x)= (x-1)(x-2x), x+0, f(x)=? Ans. for x3-3x2+2x = x-3x-2+2x f(x)= +x2+(x-3-6x3

Example
$$\int_{X} (Sinx) = ?$$
 $x \neq 0$

Ans: = $\frac{x(sinx) - (Sinx)x'}{x^2}$

= $\frac{x \cos x - \sin x}{x^2}$

Example $f(x) = (2-x) + \sin^2 x$
 $f'(x) = ?$

Ans: $Stepl:$
 $(tanx) = (tanx + tanx)$

= $2 + tanx(tanx) = 2 + tanx + (2-x)(tanx)'$
 $= tanx + (2-x) + tanx + (2-x)(tanx)'$
 $= -tanx + (2-x) + tanx + (2-x)(tanx)'$

Example
$$\frac{1}{2\pi} Sin(x^2 + e^x)$$

$$= (cos(x^2 + e^x)) \cdot (2x + e^x)$$

$$\frac{d}{dx} u^{n}(x) = n u^{n+1}(x) \cdot u(x)$$

$$\frac{d}{dx} e^{u(x)} = e^{u(x)} \cdot u(x)$$

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$$\frac{d}{dx} u^{n}(x) = (cos(u(x)) \cdot u(x))$$